

HRTF Field: Unifying Measured HRTF Magnitude Representation with Neural Fields You Zhang, Yuxiang Wang, Zhiyao Duan **Audio Information Research Department of Electrical and Computer Engineering**, Laboratory University of Rochester, New York, USA

ABSTRACT

Head-related transfer functions (HRTFs) are a set of functions of frequency describing the spatial filtering effect of the outer ear (i.e., torso, head, and pinnae) onto sound sources at different azimuth and elevation angles. Measured HRTFs in existing datasets employ specific spatial sampling schemes, making it difficult to model across datasets with different sampling schemes.

Research question:

- A unified measured HRTF magnitude representation

Proposed solution:

- HRTF Representation with **Neural Fields**

Keywords:

head-related transfer function, neural fields, generalized representation across datasets, spatial audio

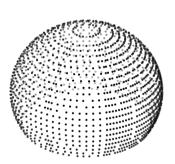
BACKGROUND

Existing measured far-field HRTF databases

Configurations of sound source positions

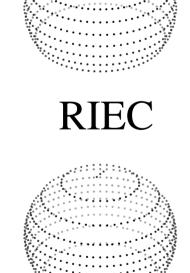


BiLi

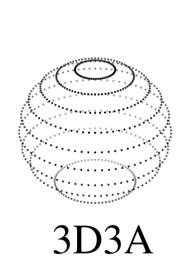




SADIE



Crossmod

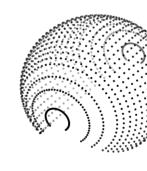


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Listen

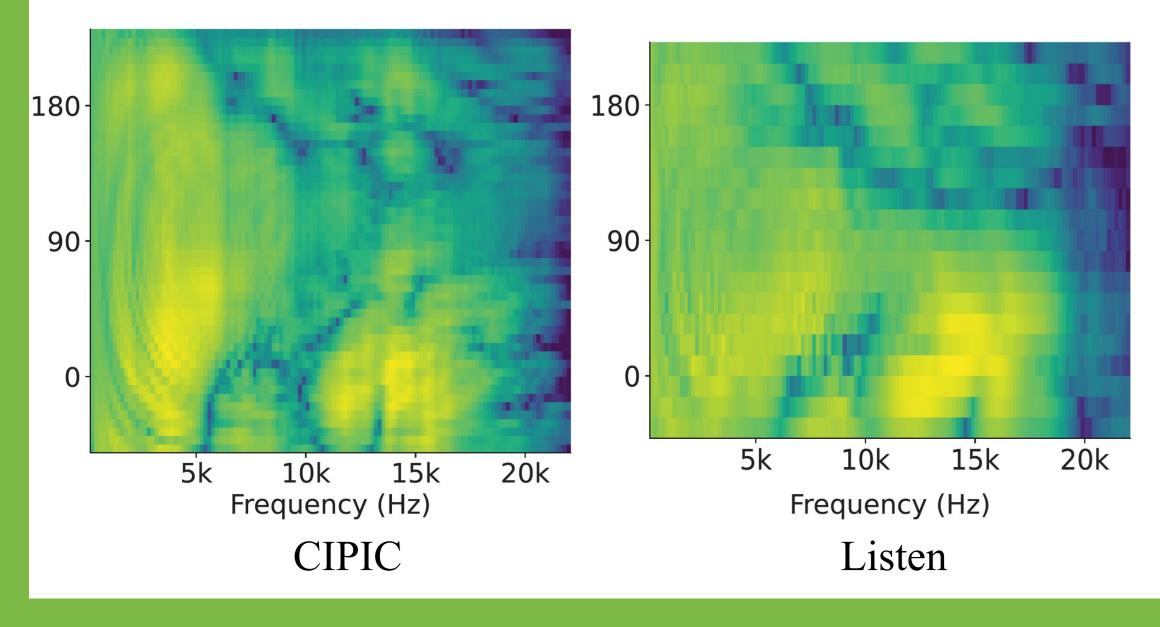


CIPIC



HUTUBS

HRTF magnitude (dB) of the midsagittal planes



METHOD

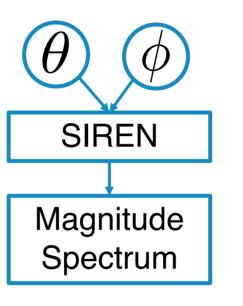
Representing HRTFs of a single subject with a neural field HRTFs are intrinsically continuous in azimuth and elevation angles.

> azimuth angle $\mathrm{HRTF}(heta,\phi)$

magnitude spectrum of the sound receiption

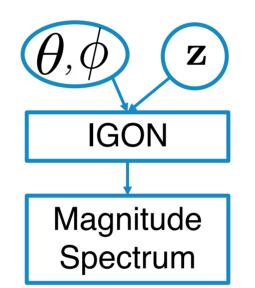
nitude spectrum of the source sign

Neural field for one subject SIREN: a multi-layer perceptron (MLP) with sine activation functions [1]



	one layer		
$F(\theta,\phi) = \mathbf{W}_n$	$(g_{n-1}\circ$	$g_{n-2} \circ \ldots \circ$	$\circ g_0(heta,$
where	$g_i\left(\mathbf{h}_i\right) =$	$=\sin{(\mathbf{W}_{i}\mathbf{h})}$	$(i + \mathbf{b}_i)$
	↑ hidden units	t weights	↑ bias
			,

Learning HRTF representations across subjects Implicit Gradient Origin Network (IGON) [2] uses SIREN architecture



Generator:	$G(heta,\phi,\mathbf{z})$	$G: \mathbb{R}^{2+D}$
Latent code:	$\mathbf{z} = \mathbf{z}_0 - abla$	$\mathbf{z}_{0}\mathcal{L}_{\mathrm{MSE}}\left(\mathbf{x},G\right)$
Training G:	$\mathcal{L} = \mathcal{L}$	$_{\mathrm{MSE}}\left(\mathbf{x},G\left(\;oldsymbol{\cdot},\;$

EXPERIMENTAL SETUP

Datasets

Name	# Subjects	# Locations	Elevation Rai
3D3A [29]	38	648	$[-57^{\circ}, 78]$
Aachen [30]	48	2304	$[-66.24^{\circ}, 90]$
ARI	97	1550	$[-30^{\circ}, 80]$
BiLi [31]	52	1680	$[-50.5^{\circ}, 8]$
CIPIC [4]	45	1250	$[-50.62^\circ, 90]$
Crossmod	24	651	$[-40^{\circ}, 90]$
HUTUBS [18]	96	440	$[-90^{\circ}, 90^{\circ}]$
Listen	50	187	$[-45^{\circ}, 90]$
RIEC [32]	105	865	$[-30^{\circ}, 90]$
SADIE II [2]	18	2818	$[-90^{\circ}, 90^{\circ}]$

Preprocessing

- Map right ear to left, view all ears as left ears
- Normalize by the average energy on the equator

$$H(\theta, \phi, k) = \frac{HRTF(\theta, \phi, k)}{\sqrt{\frac{1}{360K} \sum_{\theta} \sum_{k} HRTF(\theta, 0, k)^2 \Delta \theta}}$$

Metrics

Log Spectral Distortion (LSD)

$$LSD(H, \hat{H}) = \sqrt{\frac{1}{LK} \sum_{\theta, \phi} \sum_{k} \left(20 \log_{10} \left| \frac{H(\theta, \phi, k)}{\hat{H}(\theta, \phi, k)} \right| \right)$$

linear-scale magnitude # spatial locations freque inde



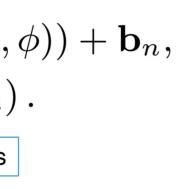
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EXPERIMENTS



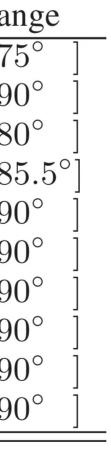


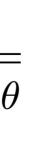


 $\mapsto \mathbb{R}^{K}$

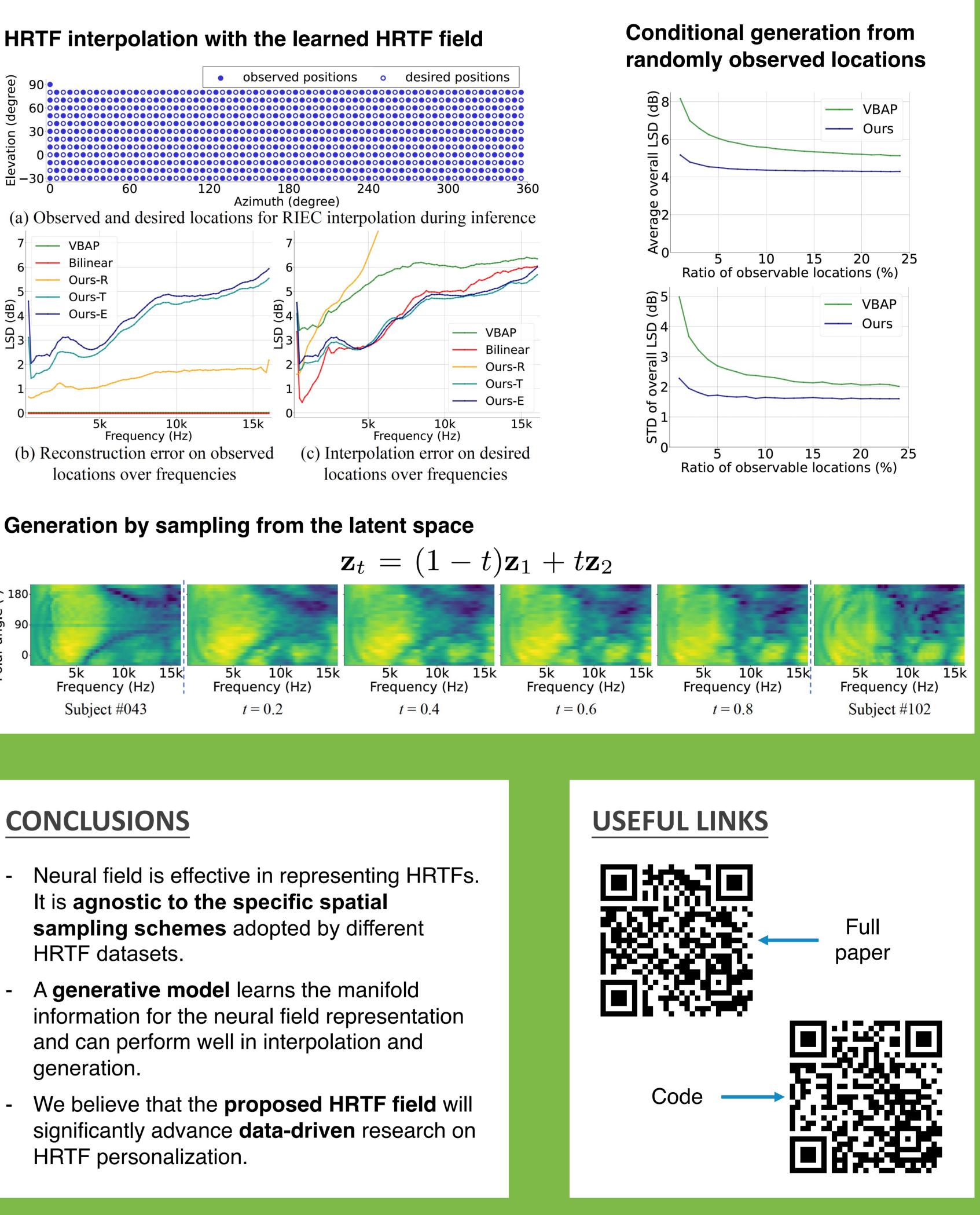
 $(\cdot, \cdot, \mathbf{z}_0))$

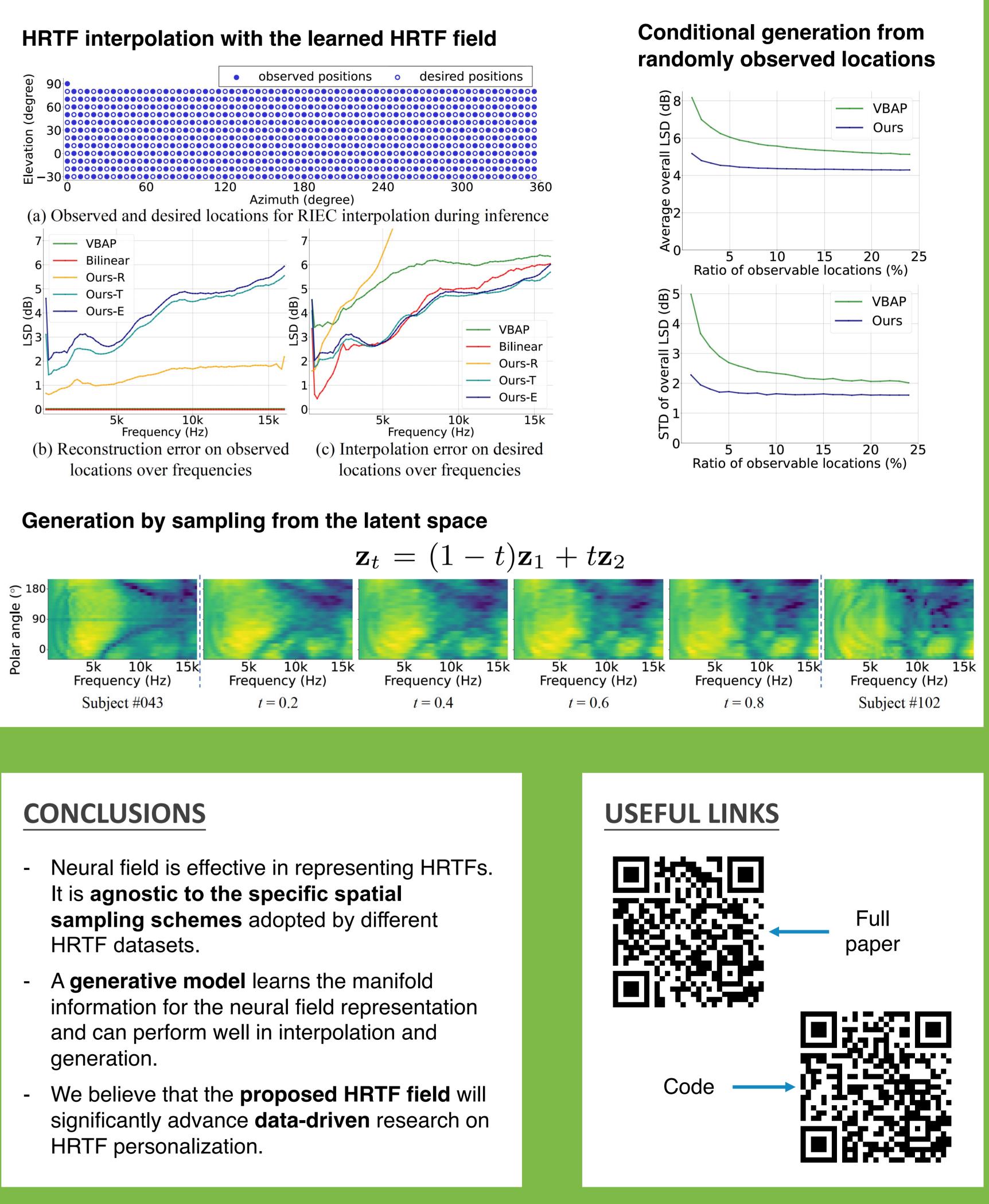
 $\cdot, \mathbf{z}))$











ACKNOWLEDGMENTS

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REFERENCES

[1] Sitzmann, V., Martel, J., Bergman, A., Lindell, D. and Wetzstein, G., "Implicit neural representations with periodic activation functions," in *Proc. NeurIPS*, 2020. [2] Bond-Taylor, S. and Willcocks, C.G., "Gradient origin networks," in Proc. ICLR, 2021.